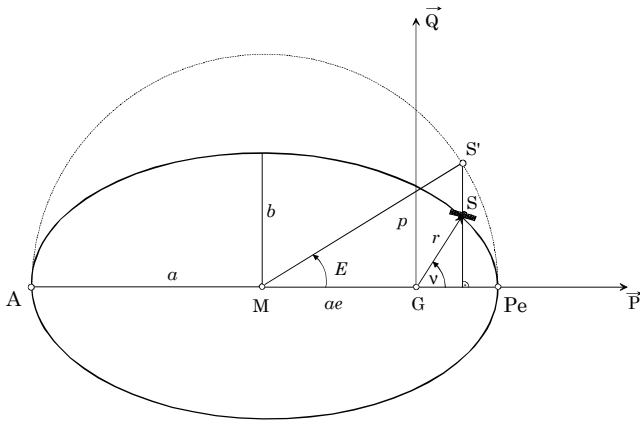
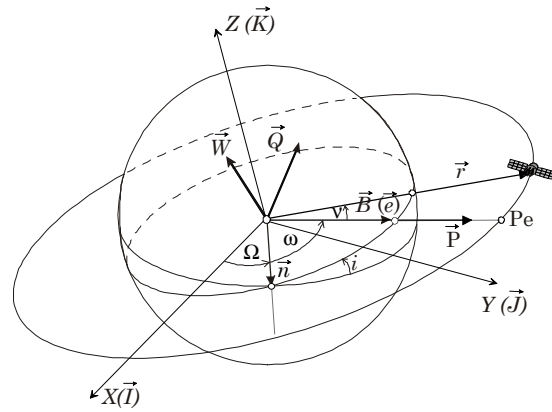


Uporabne enačbe in zveze



geometrija eliptične tirnice



Keplerjevi elementi

$$r = \frac{p}{1 + e \cos v} \quad r = \frac{\frac{h^2}{\mu}}{1 + \frac{B}{\mu} \cos v}$$

$$p = a(1 - e^2) \quad p = \frac{h^2}{\mu} \quad e = \frac{r_A - r_{Pe}}{r_A + r_{Pe}} \quad a = \frac{r_{Pe} + r_A}{2}$$

vektor ekscentricitete:

$$\mathbf{e} = \frac{1}{\mu} \left[\left(v^2 - \frac{\mu}{r} \right) \mathbf{r} - (\mathbf{r} \cdot \mathbf{v}) \mathbf{v} \right]$$

ali

$$\mathbf{e} = \frac{\mathbf{B}}{\mu};$$

Laplaceov vektor:

$$\mathbf{B} = \mathbf{v} \times \mathbf{h} - \mu \frac{\mathbf{r}}{r}$$

Celotna mehanska energija sistema:

$$E_M = \frac{v^2}{2} - \frac{\mu}{r} \quad E_M = -\frac{\mu}{2a} \text{ (za elipse)}$$

Vrtilna količina:

$$\mathbf{h} = \mathbf{r} \times \mathbf{v} \quad h = \sqrt{\mu p} \quad h = r_A v_A = r_{Pe} v_{Pe}$$

Vis-viva enačba:

$$v^2 = \mu \left(\frac{2}{r} - \frac{1}{a} \right)$$

III. Keplerjev zakon: $\frac{T^2}{a^3} = \frac{4\pi^2}{\mu}$ $n = \frac{2\pi}{T} = \sqrt{\frac{\mu}{a^3}}$

Anomalije:

Prava anomalija je kot med vektorjema \mathbf{e} in \mathbf{r} :

$$\cos \nu = \frac{\mathbf{e} \cdot \mathbf{r}}{er}$$

Keplerjeva enačba: $M = E - e \sin E$ oz. $n(t - t_0) = E - e \sin E$

$$\cos E = \frac{e + \cos \nu}{1 + e \cos \nu} \quad \tan \frac{E}{2} = \sqrt{\frac{1-e}{1+e}} \tan \frac{\nu}{2} \text{ (enolična rešitev za } E\text{)}$$

Krožna tirnica (namig za rešitev 1. naloge četrte vaje)

hitrost: $v = \sqrt{\frac{\mu}{r}} = \sqrt{\frac{\mu}{R_{\oplus} + h}}$

obhodni čas: $T^2 = \frac{4\pi^2}{\mu} r^3$